# Accurate 3D Body Shape Regression using Metric and Semantic Attributes \*Supplemental Material\*

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# 1. Data Collection

### 1.1. Model-Agency Identity Filtering

We collect internet data consisting of images and height/chest/waist/hips measurements, from model agency websites. A "fashion model" can work for many agencies and their pictures can appear on multiple websites. To create non-overlapping training, validation and test sets, we match model identities across websites. To that end, we use ArcFace [2] for face detection and RetinaNet [3] to compute identity embeddings  $E_i \in \mathbb{R}^{512}$  for each image. For every pair of models (q, t) with the same gender label, let Q, T be the number of query and target model images and  $E_Q \in \mathbb{R}^{Q \times 512}$  and  $E_T \in \mathbb{R}^{T \times 512}$  the query and target embedding feature matrices. We then compute the pairwise cosine similarity matrix  $S \in \mathbb{R}^{Q \times T}$  between all images in  $E_Q$  and  $E_T$ , and the aggregate and average similarity:

$$S_T(t) = \frac{1}{Q} \sum_q S(q, t), \tag{1}$$

$$S_{TQ} = \frac{1}{QT} \sum_{q} \sum_{t} S(q, t).$$
 (2)

Each pair with S and  $S_T$  that has no element larger than the similarity threshold  $\tau = 0.3$  is ignored, as it contains dissimilar models. Finally, we check if  $S_{TQ}$  is larger than  $\tau$ , and we keep a list of all pairs for which this holds true.

### 1.2. Crowd-Sourced Linguistic Shape-Attributes

To collect human ratings of how much a word describes a body shape, we conduct a human intelligence task (HIT) on Amazon Mechanical Turk (AMT). In this task, we show an image of a person along with 15 different gender-specific attributes. We then ask participants to indicate how strongly they agree or disagree that the provided words describe the shape of this person's body. We arrange the rating buttons from strong disagreement to strong agreement with equal distances to create a 5-point Likert scale. The rating choices are "strongly disagree" (score 1), "rather disagree" (score 2), "average" (score 3), "rather agree" (score 4), "strongly agree" (score 5).

We ask multiple persons to rate each body and image, to "average out" the subjectivity of individual ratings [15]. Additionally, we compute the Pearson correlation between averaged attribute ratings and ground-truth measurements. Examples of highly correlated pairs are "Big / Weight", and "Short / Height".

The layout of our CAESAR annotation task is visualized in Fig. R.1. To ensure good rating quality, we have several qualification requirements per participant: submitting a minimum of 5000 tasks on AMT and an AMT acceptance rate of 95%, as well as having a US residency and passing a language qualification test to ensure similar language skills and cultures across raters.

## 2. Mapping Shape Representations

#### 2.1. Shape to Anatomical Measurements (S2M)

An important part of our project is the computation of body measurements. Following "Virtual Caliper" [11], we present a method to compute anatomical measurements from a 3D mesh in the canonical T-pose, i.e. after "undoing" the effect of pose. Specifically, we measure the height,  $H(\beta)$ , weight,  $W(\beta)$ , and the chest, waist and hip circumferences,  $C_c(\beta)$ ,  $C_w(\beta)$ , and  $C_h(\beta)$ , respectively. Let  $v_{head}(\beta)$ ,  $v_{left heel}(\beta)$ ,  $v_{chest}(\beta)$ ,  $v_{waist}(\beta)$ ,  $v_{hip}(\beta)$ be the head, left heel, chest, waist and hip vertices.  $H(\beta)$ is computed as the difference in the vertical-axis "Y" coordinates between the top of the head and the left heel:  $H(\beta) = |v_{head}^y(\beta) - v_{left heel}^y(\beta)|$ . To obtain  $W(\beta)$  we multiply the mesh volume by 985 kg/m<sup>3</sup>, which is the average human body density. We compute circumference measurements using the method of Wuhrer et al. [17].

Here,  $T \in \mathbb{R}^{F \times 3 \times 3}$ , where F = 20,908 is the number of triangles in the SMPL-X mesh, denotes "shaped" vertices of all triangles of the mesh  $M(\beta, \theta)$ ; we drop expressions,  $\psi$ , which are not used in this work. Let us explain this using the chest circumference  $C_{\rm c}(\beta)$  as an example. We

## Indicate how strongly you agree or disagree that the words describe the shape of this person's body.

Instructions: Indicate how strongly you agree or disagree that the words describe the shape of this person's body. At the end, enter a weight and age estimate of the person (best gue then hit 'submit'.

You must choose one of the following options for each word: Strongly Disagree (--), Rather Disagree (-), Average (o), Rather Agree (+), Strongly Agree (++).



Figure R.1. Layout of the AMT task for a male subject. Left: the 3D body mesh in A-pose. Right: the attributes and ratings buttons.

form a plane P with normal n = (0, 1, 0) that crosses the point  $v_{\text{chest}}(\beta)$ . Then, let  $\mathcal{I} = \{p_i\}_{i=1}^N$  be the set of points

of P that intersect the body mesh (red points in Fig. R.2). We store their barycentric coordinates  $(u_i, v_i, w_i)$  and the



Figure R.2. Automatic anatomical measurements on a 3D mesh. The red points lie on the intersection of planes at chest/waist/hip height with the mesh, while their convex hull is shown with black lines.

corresponding body-triangle index  $t_i$ . Let  $\mathcal{H}$  be the convex hull of  $\mathcal{I}$  (black lines in Fig. R.2), and  $\mathcal{E}$  the set of edge indices of  $\mathcal{H}$ .  $C_c(\beta)$  is equal to the length of the convex hull:

$$C_{c}(\boldsymbol{\beta}) = \sum_{(i,j)\in\mathcal{E}} \left\| \begin{pmatrix} \mathbf{u}_{i} \\ \mathbf{v}_{i} \\ \mathbf{w}_{i} \end{pmatrix}^{\top} T_{t_{i}} - \begin{pmatrix} \mathbf{u}_{j} \\ \mathbf{v}_{j} \\ \mathbf{w}_{j} \end{pmatrix}^{\top} T_{t_{j}} \right\|_{2}, \quad (3)$$

where i, j are point indices for line segments of  $\mathcal{E}$ . The process is the same for the waist and hips, but the intersection plane is computed using  $v_{\text{waist}}, v_{\text{hip}}$ . All of  $H(\beta), W(\beta), C_c(\beta), C_w(\beta), C_h(\beta)$  are differentiable functions of body shape parameters,  $\beta$ .

Note that SMPL-X knows the height distribution of humans and acts as a strong prior in shape estimation. Given the ground-truth height of a person (in meter),  $H(\beta)$  can be used to directly supervise height and overcome scale ambiguity.

#### 2.2. Mapping Attributes to Shape (A2S)

We introduce A2S, a model that maps the input attribute ratings to shape components  $\beta$  as output. We compare a  $2^{nd}$  degree polynomial model with a linear regression model and a multi-layer perceptron (MLP), using the Vertex-to-Vertex (V2V) error metric between predicted and groundtruth SMPL-X meshes, and report results in Tab. R.1.

Model	Input	V2V mean $\pm$ std		
		Females	Males	
Mean Shape		$18.01\pm8.73$	$19.24\pm10.36$	
Linear Regression	А	$10.83\pm4.77$	$10.43 \pm 4.63$	
Polynomial (d=2)	А	$10.58\pm4.67$	$10.25\pm4.48$	
MLP	А	$10.73\pm4.62$	$10.33\pm4.57$	
Linear Regression	A+H+W	$7.00\pm2.59$	$6.56 \pm 2.21$	
Polynomial (d=2)	A+H+W	$7.31 \pm 2.56$	$6.71 \pm 2.21$	
MLP	A+H+W	$7.03\pm2.6$	$6.68 \pm 2.24$	
Linear Regression	A+H+ $\sqrt[3]{W}$	$6.97 \pm 2.58$	$6.54 \pm 2.22$	
Polynomial (d=2)	A+H+ $\sqrt[3]{W}$	$\textbf{6.88} \pm \textbf{2.55}$	$\textbf{6.49} \pm \textbf{2.20}$	

Table R.1. Comparison of models for A2S and AHW2S regression.

When using only attributes as input (A2S), the polynomial model of degree d = 2 achieves the best performance. Adding height and weight to the input vector requires a small modification, namely using the cubic root of the weight and converting the height from (m) to (cm). We. With these additions, the  $2^{nd}$  degree polynomial achieves the best performance.

### 2.3. Images to Attributes (I2A)

We briefly experimented with models that learn to predict attribute scores from images (I2A). This attribute predictor is implemented using a ResNet50 for feature extraction from the input images, followed by one MLP per gender for attribute score prediction. To quantify the model's performance, we use the attribute classification metric described in the main paper. I2A achieves 60.7 / 69.3%(fe-/male) of correctly predicted attributes, while our S2A achieves 68.8 / 76% on CAESAR. Our explanation for this result is that it is hard for the I2A model to learn to correctly predict attributes independent of subject pose. Our approach works better, because it decomposes 3D human estimation into predicting pose and shape. Networks are good at estimating pose even without GT shape [8]. "SHAPY 's losses" affect only the shape branch. To minimize these losses, the network has to learn to correctly predict shape irrespective of pose variations.

# 3. SHAPY- 3D Shape Regression from Images

**Implementation details:** To train SHAPY, each batch of training images contains 50% images collected from model agency websites and 50% images from ExPose's [1] training set. Note that the overall number of images of males and females in our collected model data differs significantly; images of female models are many more. Therefore, we randomly sample a subset of female images so that, eventually, we get an equal number of male and female images. We also use the BMI of each subject, when available, as a sampling weight for images. In this way, subjects with



Figure R.3. The 20K body mesh surface points (in black) used to evaluated body shape estimation accuracy.

higher BMI are selected more often, due to their smaller number, to avoid biasing the model towards the average BMI of the dataset. Our pipeline is implemented in Py-Torch [10] and we use the Adam [6] optimizer with a learning rate of 1e - 4. We tune the weights of each loss term with grid search on the MMTS and HBW validation sets. Using a batch size of 48, SHAPY achieves the best performance on the HBW validation set after 80k steps.

## 4. Experiments

### 4.1. Metrics

**P2P**<sub>20K</sub>: SMPL-X has more than half of its vertices on the head. Consequently, computing an error based on vertices overemphasizes the importance of the head. To remove this bias, we also report the mean distance between P = 20k mesh surface points; see Fig. R.3 for a visualization on the ground-truth and estimated meshes. For this, we uniformly sample the SMPL-X template mesh and compute a sparse matrix  $\mathbf{H}_{\text{SMPL-X}} \in \mathbb{R}^{P \times N}$  that regresses the mesh surface points from SMPL-X vertices V, as  $\mathbf{P} = \mathbf{H}_{\text{SMPL-X}}V$ .

To use this metric in a mesh with different topology, e.g. SMPL, we simply need to compute the corresponding  $\mathbf{H}_{\text{SMPL}}$ . For this, we align the SMPL model to the SMPL-X template mesh. For each point sampled from the SMPL-X mesh surface, we find the closest point on the aligned SMPL mesh surface. To obtain the SMPL mesh surface points from SMPL vertices, we again compute a sparse matrix,  $\mathbf{H}_{\text{SMPL}} \in \mathbb{R}^{P \times 6,890}$ . The distance between the SMPL-X and SMPL mesh surface points on the template meshes is

	Method -	P2P <sub>20K</sub> (mm)	Height (mm)	Weight (kg)	Chest (mm)	Waist (mm)	Hips (mm)
	A2S	$10.9\pm5.2$	$27\pm21$	$5\pm5$	$30 \pm 26$	$32 \pm 31$	$28\pm22$
	H2S	$12.8\pm7.0$	$5\pm5$	$12\pm11$	$93 \pm 72$	$101\pm88$	$60 \pm 52$
	AH2S	$7.2\pm2.8$	$4\pm3$	$3 \pm 4$	$27\pm23$	$29\pm28$	$23\pm19$
le	HW2S	$7.9 \pm 3.2$	$5\pm 5$	$1 \pm 1$	$25 \pm 22$	$22\pm18$	$26\pm25$
ma	AHW2S	$6.4 \pm 2.5$	$4 \pm 3$	$1 \pm 1$	$14\pm12$	$14 \pm 12$	$17 \pm 14$
fe	C2S	$19.5\pm10.8$	$58\pm46$	$8\pm 6$	$54 \pm 36$	$57 \pm 42$	$47\pm36$
	AC2S	$9.6\pm4.3$	$24\pm18$	$3 \pm 2$	$18\pm15$	$19\pm16$	$19\pm14$
	HC2S	$7.3 \pm 2.8$	$5\pm 5$	$2\pm 2$	$19\pm16$	$16 \pm 14$	$15 \pm 13$
	AHC2S	$6.3 \pm 2.4$	$4 \pm 3$	$1 \pm 1$	$15 \pm 12$	$14 \pm 12$	$14\pm12$
	HWC2S	$7.2\pm2.9$	$5\pm5$	$1 \pm 1$	$14\pm12$	$13\pm11$	$14\pm12$
	AHWC2S	$6.2\pm2.4$	$4\pm3$	$1 \pm 1$	$11 \pm 9$	$12\pm10$	$13\pm11$
	A2S	$11.1\pm5.2$	$29\pm21$	$5 \pm 4$	$30 \pm 22$	$32 \pm 24$	$28\pm21$
	H2S	$12.1\pm6.1$	$5 \pm 4$	$11\pm11$	$81\pm 66$	$102\pm87$	$40\pm33$
	AH2S	$6.8 \pm 2.3$	$4 \pm 3$	$3 \pm 3$	$27\pm21$	$29 \pm 23$	$24\pm18$
9	HW2S	$8.1\pm2.7$	$5 \pm 4$	$1 \pm 1$	$24\pm17$	$26 \pm 20$	$21\pm18$
nal	AHW2S	$6.3 \pm 2.1$	$4 \pm 3$	$1 \pm 1$	$19\pm15$	$19\pm14$	$20\pm16$
-	C2S	$19.7 \pm 11.1$	$59\pm47$	$9\pm8$	$55\pm41$	$63 \pm 49$	$37\pm28$
	AC2S	$9.6 \pm 4.4$	$25\pm19$	$3 \pm 3$	$23\pm19$	$21\pm17$	$18\pm14$
	HC2S	$7.7 \pm 2.6$	$5 \pm 4$	$2\pm 2$	$28\pm23$	$18 \pm 15$	$13 \pm 11$
	AHC2S	$6.0 \pm 2.0$	$4 \pm 3$	$2\pm 2$	$21\pm17$	$17 \pm 14$	$13 \pm 10$
	HWC2S	$7.3\pm2.6$	$5\pm4$	$1 \pm 1$	$20\pm15$	$14\pm12$	$13\pm11$
	AHWC2S	$5.8\pm2.0$	$4\pm3$	$1 \pm 1$	$16\pm13$	$13\pm10$	$13\pm10$

Table R.2. Results of A2S and its variations on CMTS test set, in mm or kg. Trained with gender-specific SMPL-X model.

0.073 mm, which is negligible.

Given two meshes  $M_1$  and  $M_2$  of topology  $T_1$  and  $T_2$ we obtain the mesh surface points  $P_1 = \mathbf{H}_{T_1}U_1$  and  $P_2 = \mathbf{H}_{T_2}U_2$ , where  $U_1$  and  $U_2$  denote the vertices of the shaped zero posed (t-pose) meshes. To compute the P2P<sub>20K</sub> error we correct for translation  $t = \bar{P}_2 - \bar{P}_1$  and define

$$P2P_{20K}(U_1, U_2) = ||\mathbf{H}_{T_1}U_1 + t - \mathbf{H}_{T_2}U_2||_2^2$$

#### 4.2. Shape Estimation

**A2S and its variations**: For completeness, Table R.2 shows the results of the female A2S models in addition to the male ones. The male results are also presented in the main manuscript. Note that attributes improve shape reconstruction across the board. For example, in terms of P2P<sub>20K</sub>, AH2S is better than just H2S, AHW2S is better than just HW2S. It should be emphasized that even when many measurements are used as input features, i.e. height, weight, and chest/waist/hip circumference, adding attributes still improves the shape estimate, e.g. HWC2S vs. AHWC2S. Attribute/Measurement ablation: To investigate the extent to which attributes can replace ground truth measure-

tent to which attributes can replace ground truth measurements in network training, we train SHAPY's variations in a leave-one-out manner: SHAPY-H uses only height and SHAPY-C only hip/waist/chest circumference. We compare these models with SHAPY-AH and SHAPY-AC, which use attributes in addition to height and circumference measurements, respectively. For completeness, we also evaluate SHAPY-HC and SHAPY-AHC, which use all measurements; the latter also uses attributes. The results are reported in Tab. R.3 (MMTS) and Tab. R.4 (HBW).

Mean absolute error (mm) $\downarrow$					
Method	Height	Chest	Waist	Hips	
SHAPY- <mark>H</mark>	52	113	172	108	
SHAPY- <mark>HA</mark>	60	64	96	77	
SHAPY-C	119	66	70	70	
SHAPY-CA	74	60	82	69	
SHAPY-HC	54	62	72	69	
SHAPY-HCA	57	61	85	73	

Table R.3. Leave-one-out evaluation on MMTS.

Mean absolute error (mm) $\downarrow$					
Method	Height	Chest	Waist	Hips	$P2P_{20K}$
SHAPY- <mark>H</mark>	54	90	77	54	22
SHAPY- <mark>HA</mark>	49	62	71	58	20
SHAPY-C	72	65	77	60	26
SHAPY-CA	54	69	78	58	22
SHAPY-HC	53	61	77	55	23
SHAPY- <mark>HCA</mark>	47	66	75	52	20

Table R.4. Leave-one-out evaluation on the HBW test set.

The tables show that attributes are an adequate replacement for measurements. For example, in Tab. R.3, the height (SHAPY-C vs. SHAPY-CA) and circumference errors (SHAPY-H vs. SHAPY-AH) are reduced significantly when attributes are taken into account. On HBW, the  $P2P_{20K}$  errors are equal or lower, when attribute information is used, see Tab. R.4. Surprisingly, seeing attributes improves the height error in all three variations. This suggests that training on model images introduces a bias that A2S antagonizes.

**S2A**: Table **R.5** shows the results of S2A in detail. All attributes are classified correctly with an accuracy of at least 58.05% (females) and 68.14% (males). The probability of randomly guessing the correct class is 20%.

**AHWC and AHWC2S noise**: To evaluate AHWC's robustness to noise in the input, we fit AHWC using the perrater scores instead of the average score. The  $P2P_{20K} \downarrow error$  only increases by 1.0 mm to 6.8 when using the per-rater scores.

#### 4.3. Pose evaluation

**3D** Poses in the Wild (**3DPW**) [16]: This dataset is mainly useful for evaluating body *pose* accuracy since it contains few subjects and limited body shape variation. The test set contains a limited set of 5 subjects in indoor/outdoor videos with everyday clothing. All subjects were scanned to obtain their ground-truth body shape. The body poses are pseudo ground-truth SMPL fits, recovered from images and IMUs. We convert pose and shape to SMPL-X for evaluation.

We evaluate SHAPY on 3DPW to report pose estimation accuracy (Tab. R.6). SHAPY's pose accuracy is slightly behind ExPose which also uses SMPL-X. SHAPY's perfor-

Attribute	Male		Female		
Attribute	$MAE \pm SD$	CCP	$MAE \pm SD$	CCP	
Big	$0.25\pm0.18$	71.68%	$0.31\pm0.23$	70.00%	
Broad Shoulders	$0.26\pm0.20$	73.75%	$0.33\pm0.24$	63.90%	
Long Legs	$0.23\pm0.17$	81.12%	$0.43 \pm 0.33$	58.05%	
Long Neck	$0.27\pm0.21$	73.75%	$0.29\pm0.21$	69.51%	
Long Torso	$0.27\pm0.20$	70.80%	$0.36\pm0.27$	62.68%	
Muscular	$0.31\pm0.24$	69.03%	$0.26\pm0.21$	73.17%	
Short	$0.28\pm0.22$	72.27%	$0.27\pm0.21$	67.56%	
Short Arms	$0.20\pm0.15$	84.07%	$0.27\pm0.22$	72.20%	
Tall	$0.27\pm0.22$	70.80%	$0.30\pm0.23$	70.98%	
Average	$0.27\pm0.19$	78.76%	n / a	n / a	
Delicate Build	$0.21\pm0.16$	78.17%	n / a	n / a	
Masculine	$0.23\pm0.18$	78.17%	n / a	n / a	
Rectangular	$0.27\pm0.20$	80.24%	n / a	n / a	
Skinny Arms	$0.25\pm0.19$	76.40%	n / a	n / a	
Soft Body	$0.32\pm0.23$	68.14%	n / a	n / a	
Large Breasts	n/a	n / a	$0.31\pm0.23$	72.93%	
Pear Shaped	n/a	n / a	$0.32\pm0.22$	64.39%	
Petite	n/a	n / a	$0.40\pm0.30$	61.95%	
Skinny Legs	n/a	n / a	$0.25\pm0.18$	81.22%	
Slim Waist	n/a	n/a	$0.30\pm0.23$	71.71%	
Feminine	n/a	n / a	$0.26\pm0.20$	73.41%	

Table R.5. S2A evaluation. We report mean, standard deviation and percentage of correctly predicted classes per attribute on CMTS test set.

	Model	MPJPE	PA-MPJPE
HMR [5]	SMPL	130	81.3
SPIN [7]	SMPL	96.9	59.2
TUCH [9]	SMPL	84.9	55.5
EFT [4]	SMPL	-	54.2
HybrIK [8]	SMPL	80.0	48.8
STRAPS [12]*	SMPL	-	66.8
Sengupta et al. [14]*	SMPL	-	61.0
Sengupta et al. [13]*	SMPL	84.9	53.6
ExPose [1]	SMPL-X	93.4	60.7
SHAPY (ours)	SMPL-X	95.2	62.6

Table R.6. Evaluation on 3DPW [16]. \* uses body poses sampled from the 3DPW training set for training.

mance is better than HMR [5] and STRAPS [12]. However, SHAPY does not outperform recent pose estimation methods, e.g. HybrIK [8]. We assume that SHAPY's pose estimation accuracy on 3DPW can be improved by (1) adding data from the 3DPW training set (similar to Sengupta et al. [13] who sample poses from 3DPW training set) and (2) creating pseudo ground-truth fits for the model data.

#### 4.4. Qualitative Results

We show additional qualitative results in Fig. R.5 and Fig. R.7. Failure cases are shown in Fig. R.8. To deal with high-BMI bodies, we need to expand the set of training images and add additional shape attributes that are descriptive for high-BMI shapes. Muscle definition on highly muscular bodies is not well represented by SMPL-X, nor do our at-

tributes capture this. The SHAPY approach, however, could be used to capture this with a suitable body model and more appropriate attributes.



Figure R.4. Qualitative results of SHAPY predictions for female bodies.



Figure R.5. Qualitative results of SHAPY predictions for female bodies. (Cont.)



Figure R.6. Qualitative results of SHAPY predictions for male bodies.



Figure R.7. Qualitative results of SHAPY predictions for male bodies (Cont.) .



Figure R.8. Failure cases. In the first example (upper left) the weight is underestimated. Other failure cases of SHAPY are muscular bodies (upper right) and body shapes with high BMI (second row).

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